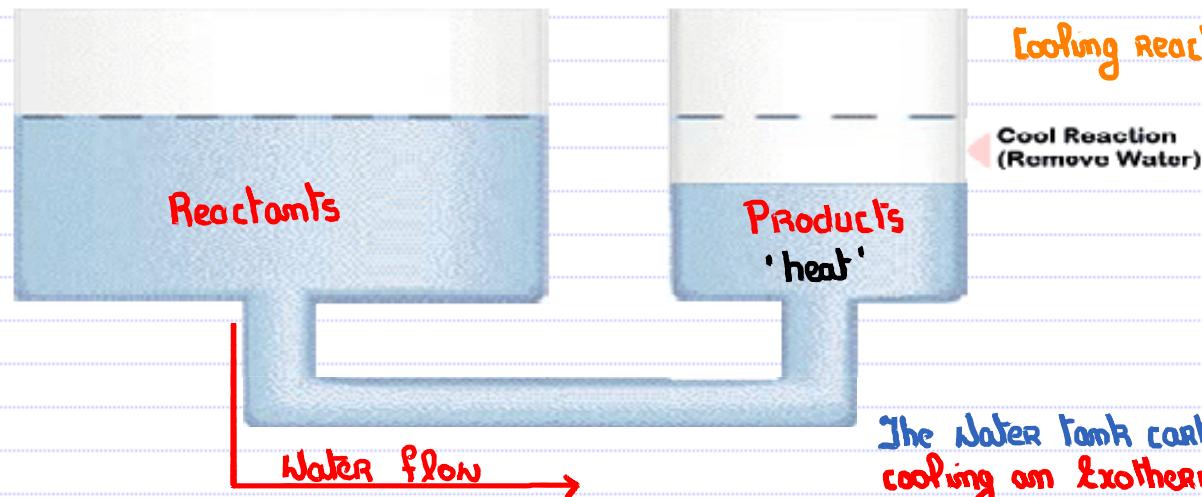


15.4 Disturbing a Chemical Equilibrium: Le Chatelier's Principle

Change in Temperature – Exothermic Reactions

Chemistry Interactive: LeChatelier's Principle - The Water Tank Analogy



Cooling reaction = Removing a product

The water tank cartoon correctly predicts that cooling an exothermic reaction at equilibrium causes a shift towards products.. Chemically why is this prediction correct?

$$K = \frac{[\text{Products}]}{[\text{Reactants}]} \quad } \text{No 'heat' in the equation.}$$

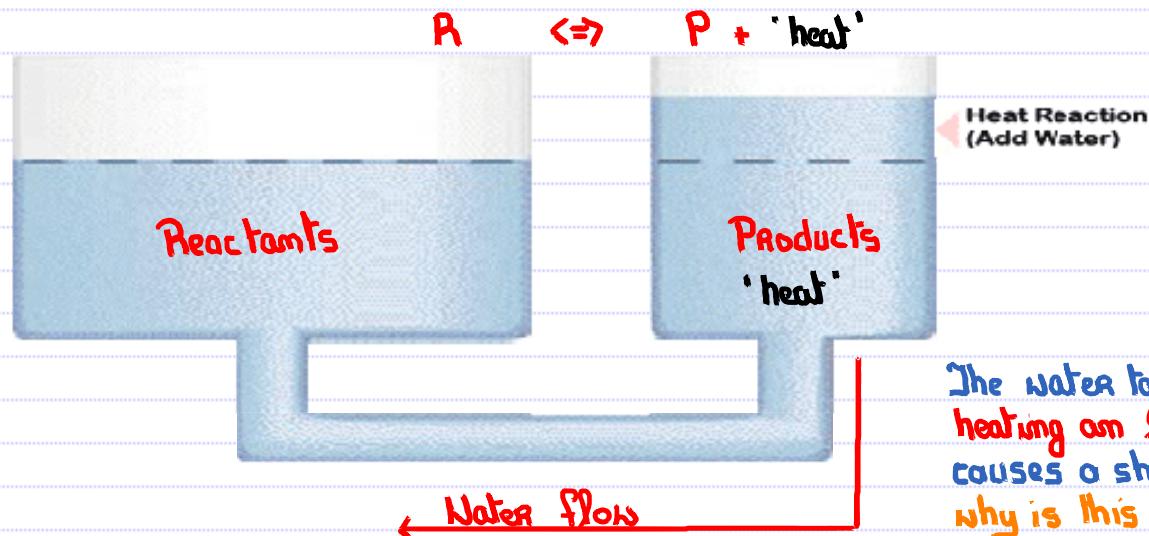
K must be T dependent.

Cooling an exothermic equilibrium reaction results in K↑

15.4 Disturbing a Chemical Equilibrium: Le Chatelier's Principle

Change in Temperature – Exothermic Reactions

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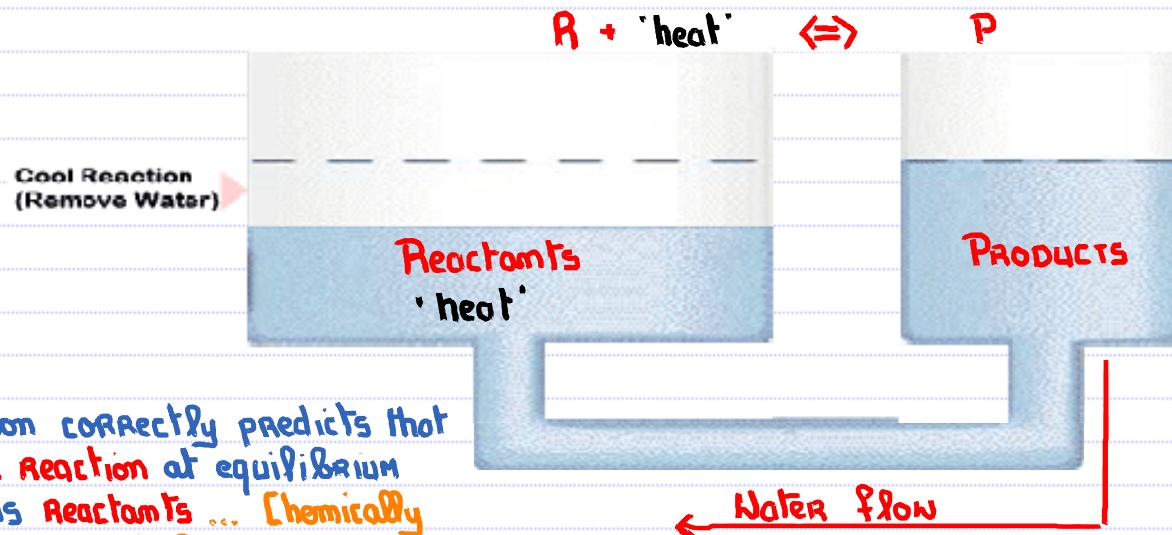
K must be T dependant.

Heating an exothermic equilibrium reaction results in $K \downarrow$

15.4 Disturbing a Chemical Equilibrium: Le Chatelier's Principle

Change in Temperature – Endothermic Reactions

Chemistry Interactive: LeChatelier's Principle - The Water Tank Analogy



The water tank cartoon correctly predicts that cooling an endothermic reaction at equilibrium causes a shift towards Reactants ... [chemically why is this prediction correct?]

$$K = \frac{[\text{PRODUCTS}]}{[\text{REACTANTS}]} \quad \text{No 'heat' in the equation.}$$

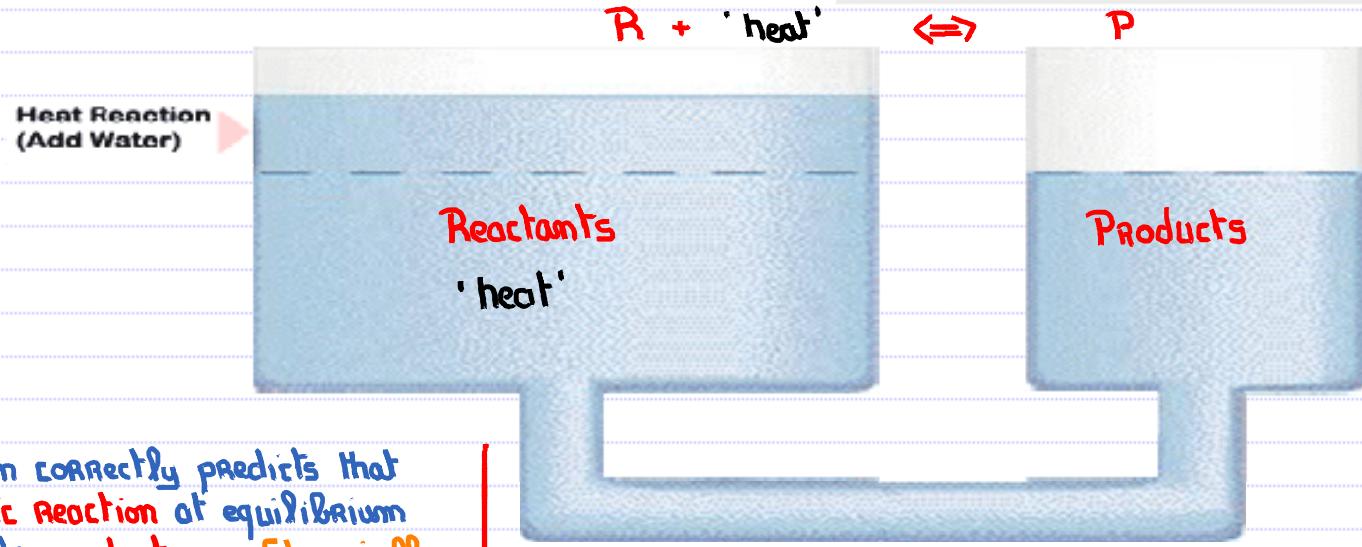
K must be temperature dependent.

Cooling an endothermic equilibrium reaction results in $K \downarrow$.

15.4 Disturbing a Chemical Equilibrium: Le Chatelier's Principle

Change in Temperature – Endothermic Reactions

Chemistry Interactive: LeChatelier's Principle - The Water Tank Analogy



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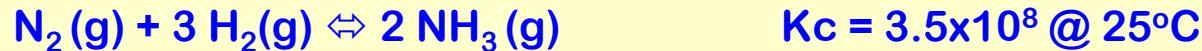
K must be temperature dependant.

Heating an endothermic equilibrium reaction results in $K \uparrow$

15.4 Disturbing a Chemical Equilibrium: Le Chatelier's Principle

Change in Temperature

The production of ammonia is an exothermic process –



To maximize the $[NH_3]$ at equilibrium it is best to



- a) Heat the reaction
- b) Cool the reaction ✓
- c) Leave it as is



→ To maximize $NH_3(g)$, Remove a product
Remove heat by cooling the Reaction.

15.4 Disturbing a Chemical Equilibrium: Le Chatelier's Principle Change in Temperature – van't Hoff Equation

$$\ln \frac{K_2}{K_1} = -\frac{\Delta H^\circ}{R} \left(\frac{1}{T_2} - \frac{1}{T_1} \right)$$



At 25°C, $\Delta H^\circ = -91.8 \text{ kJ.mol}^{-1}$, $K = 3.5 \times 10^8$ – however at this temperature the reaction is extremely slow.

With the help of a catalyst, the optimum temperature for the reaction is 450°C.
 $\Delta H^\circ = -111.3 \text{ kJ.mol}^{-1}$ at this temperature. What is the value for K at this temperature?

$$K_1 = 3.5 \times 10^8$$

$$K_2 = ?$$

$$T_1 = 298 \text{ K}$$

$$T_2 = 723 \text{ K}$$

$$\Delta H^\circ = -111.300 \text{ J.mol}^{-1}$$

$$R = 8.314 \text{ J.mol}^{-1}.K^{-1}$$

$$\ln \frac{K_2}{K_1} = -\left(\frac{-111.300}{8.314}\right) \left(\frac{1}{723} - \frac{1}{298}\right)$$

$$\ln K_2 - \ln (3.5 \times 10^8) = 13387 (-1.9726 \times 10^{-3})$$

$$\ln K_2 - 19.6734 = -26.4072$$

$$\ln K_2 = -26.4072 + 19.6734$$

$$\ln K_2 = -6.7338$$

$$K_2 = 1.19 \times 10^{-3} \text{ @ } 723 \text{ K}$$

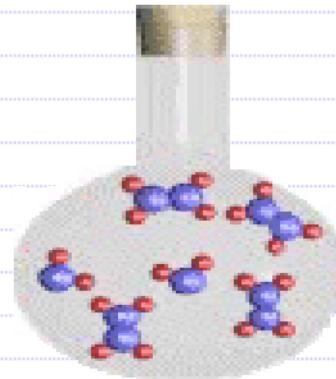
↳ Ouch ... a ~ 10⁵ drop.

While the decrease in K was expected since the process involved heating an exothermic equilibrium, this decrease is dramatic.

15.4 Disturbing a Chemical Equilibrium: Le Chatelier's Principle

Change in the Volume of the System

Chemistry Interactive: Effect of Changing Volume on the NO₂/N₂O₄ Equilibrium



See Class Web Site.

15.4 Disturbing a Chemical Equilibrium: Le Chatelier's Principle

Change in the Volume of the System

Reactants (g) \rightleftharpoons Products (g)
 $\Delta n = \text{mol of gas products} - \text{mol of gas reactants}$.

$\Delta n : = 0, > 0, \text{ or } < 0$

ACTION

a) Volume \uparrow , ie Pressure \downarrow

EQUILIBRIUM SHIFT

Toward the side with the greater number of gas molecules ... trying to increase the pressure ... if it can.*

b) Volume \downarrow , ie Pressure \uparrow

Toward the side with the fewest number of gas molecules ... trying to decrease the pressure ... if it can.*

* $\Delta n = 0$: Nothing the equilibrium can do to counter any pressure changes.

15.4 Disturbing a Chemical Equilibrium: Le Chatelier's Principle

Change in the Volume of the System – A Summary

ACTION

a) $V \uparrow, P \downarrow$
b) $V \downarrow, P \uparrow$

EQUILIBRIUM SHIFT

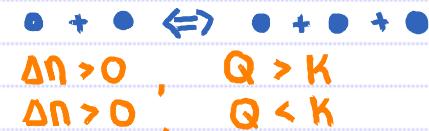
WHY?



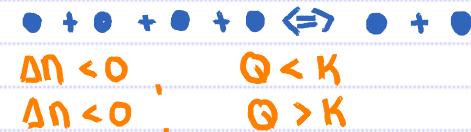
- a) No shift
b) No shift



- a) Towards products
b) Towards Reactants



- a) Towards Reactants
b) Towards products



15.4 Disturbing a Chemical Equilibrium: Le Chatelier's Principle

Change in the Volume of the System.

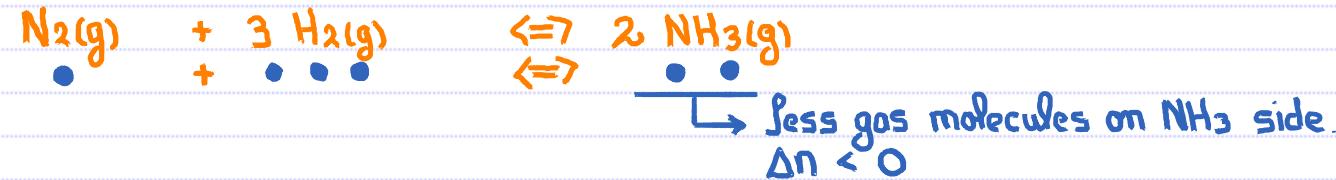
The production of ammonia is an exothermic process –



To maximize the $[NH_3]$ at equilibrium it is best to



- a) Increase the volume
- b) Decrease the volume ✓ ... Increases the pressure
- c) Leave it as is

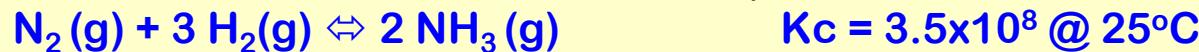


15.4

Disturbing a Chemical Equilibrium: Le Chatelier's Principle

Production of ammonia – an equilibrium dilemma!

The production of ammonia is an exothermic process –



How can we maximize the production of $[\text{NH}_3]$.

- a) At room temperature, K_c is product favored.
However at room temperature this reaction is extremely slow. Very high Activation Energy.
To speed it up ... heat it ... and/or use a catalyst to lower the Activation Energy.
- b) However the reaction is exothermic ... thus heating it will result in K_c decreasing.
As we calculated previously ... even with a catalyst the process is done at $\sim 450^\circ\text{C}$...
 $\text{at } 450^\circ\text{C, } K_c = 1.19 \times 10^{-3}$. Thus while reaching equilibrium in a reasonable time, the equilibrium is now very reactant favored.
- c) Not counted as this gaseous reaction has $\Delta n < 0$
Therefore if P is increased, then Q becomes $> K_c$, thereby causing a shift towards products ... increasing the $[\text{NH}_3]$.